ACYCLIC EDGE COLORING OF PLANAR GRAPHS

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An acyclic edge coloring of a graph is a proper edge coloring without bichromatic cycles. In 1978, it was conjectured that $\Delta(G) + 2$ colors suffice for an acyclic edge coloring of every graph G [1]. The conjecture has been verified for several classes of graphs, however, the best known upper bound for as special class as planar graphs are, is $\Delta + 12$ [2]. In this talk, we present recent results on planar simple graphs which need only $\Delta(G)$ colors for an acyclic edge coloring. We show that a planar graph with girth g and maximum degree Δ admits such acyclic edge coloring if $g \ge 12$, or $g \ge 8$ and $\Delta \ge 4$, or $g \ge 7$ and $\Delta \ge 5$, or $g \ge 6$ and $\Delta \ge 6$, or $g \ge 5$ and $\Delta \ge 10$. Our results improve some previously known bounds.

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References

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